### SCHEME OF WORK - FORM I TERM I

#### 1. NUMBER THEORY (I)

1. (a) Distinguish among sets of numbers, for example,

(ii) Whole (iii) Even (iv) Odd (v) Prime (vi) Square Numbers (b) Identify (i) Integers, (ii) Rational (iii) Irrational Nos. (c) Describe Positive Integers as being Prime OR Composite (d) Real Numbers, <b>R</b> , the union of rational & irrational numbers. (c) Describe Positive Integers as being Prime OR Composite (d) Real Numbers, <b>R</b> , the union of rational & irrational numbers. 2. Order a set of real numbers, for example, the use of inequality symbols, listing in ascending order. 3. Identify a given set of numbers as a subset of another set; recognize the Inclusion Relations among subsets of the Number System; for example, N ⊂ W ⊂ Z ⊂ Q ⊂ R. 4. List the set of Factors OR a set of Multiples of a given Positive Integer 5. Compute the (Bk 1, 2 <sup>nd</sup> Edn., p14 – 23) H.C.F OR L.C.M of two or more positive integers 6. (i) Number bases & their conversion (ii) State the value of a digit in a numeral in base n, where 2≤n ≤ 10: Place Value & Face Value of numbers in bases 2 to 10.	(i) Natural	
(iii) Even (iv) Odd	(ii) Whole	
(iv) Out (v) Prime (vi) Square Numbers (b) Identify (i) Integers, (ii) Rational (iii) Irrational Nos. (c) Describe Positive Integers as being Prime OR Composite (d) Real Numbers, <b>R</b> , the union of rational & irrational numbers. (d) Real Numbers, <b>R</b> , the union of rational & irrational numbers. 2. Order a set of real numbers, for example, the use of inequality symbols, listing in ascending order. 3. Identify a given set of numbers as a subset of another set; recognize the Inclusion Relations among subsets of the Number System; for example, N $\subset$ W $\subset$ Z $\subset$ Q $\subset$ R. 4. List the set of Factors OR a set of Multiples of a given Positive Integer 5. Compute the (Bk 1, 2 <sup>nd</sup> Edn., p14 – 23) H.C.F OR L.C.M of two or more positive integers 6. (i) Number bases & their conversion (ii) State the value of a digit in a numeral in base n, where $2 \le n \le 10$ : <u>Place Value</u> & <u>Face Value</u> of numbers in bases 2 to 10.	(111) Even	
(v) Frine (v) Square Numbers (v) Square Numbers (i) Integers, (ii) Rational (iii) Irrational Nos. (c) Describe Positive Integers as being Prime OR Composite (d) Real Numbers, R, the union of rational & irrational numbers. 2. Order a set of real numbers, for example, the use of inequality symbols, listing in ascending order. 3. Identify a given set of numbers as a subset of another set; recognize the Inclusion Relations among subsets of the Number System; for example, N $\subset$ W $\subset$ Z $\subset$ Q $\subset$ R. 4. List the set of Factors OR a set of Multiples of a given Positive Integer 5. Compute the (Bk 1, 2 <sup>nd</sup> Edn., p14 – 23) H.C.F OR L.C.M of two or more positive integers 6. (i) Number bases & their conversion (ii) State the value of a digit in a numeral in base n, where $2 \le n \le 10$ : Place Value & Face Value of numbers in bases 2 to 10.	(IV) Odd	
(vi) Square Numbers	(v) Prime	
<ul> <li>(b) Identify <ul> <li>(i) Integers,</li> <li>(ii) Rational</li> <li>(iii) Irrational Nos.</li> </ul> </li> <li>(c) Describe Positive Integers as being Prime OR Composite <ul> <li>(d) Real Numbers, R, the union of rational &amp; irrational numbers.</li> </ul> </li> <li>2. Order a set of real numbers, for example, the use of inequality symbols, <i>listing in ascending order</i>.</li> <li>3. Identify a given set of numbers as a subset of another set; recognize the Inclusion Relations among subsets of the Number System; for example, N ⊂ W ⊂ Z ⊂ Q ⊂ R.</li> <li>4. List the <ul> <li>set of Factors OR</li> <li>a set of Multiples of a given Positive Integer</li> </ul> </li> <li>5. Compute the (Bk 1, 2<sup>nd</sup> Edn., p14 – 23) <ul> <li>H.C.F</li> <li>OR L.C.M of two or more positive integers</li> </ul> </li> <li>6. (i) Number bases &amp; their conversion <ul> <li>(ii) State the value of a digit in a numeral in base n, where 2≤n ≤ 10: Place Value &amp; Face Value of numbers in bases 2 to 10.</li> </ul> </li> </ul>	(vi) Square Numbers	
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set of Factors OR a set of Multiples of a given Positive Integer	4. List the	
<ul> <li>5. Compute the (Bk 1, 2<sup>nd</sup> Edn., p14 – 23)</li> <li>H.C.F</li></ul>	set of Factors OR a set of Multiples of a given Positive Integer	
H.C.F	<b>5.</b> Compute the (Bk 1, $2^{nd}$ Edn., $p14 - 23$ )	
OR L.C.M of two or more positive integers	H.C.F	
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# 2. COMPUTATION (I)

**1.** Perform computation using any of the FOUR basic operations (Addition, Subtraction, Multiplication, Division) with real numbers, namely,

Whole numbers	
Fractions	
Decimals	
2. Convert among	
Fractions Percentages Decimals	
<b>3.</b> Convert from one set of units to another.	
<b>4.</b> Approximate a <u>Value</u> to a given number of <u>Significant Figures</u> (1, 2 or 3) and express any <u>Decimal</u> to a given number of <u>Decimal Places</u> (1, 2 or 3)	
<b>5.</b> Calculate any <u>Fraction</u> or <u>Percentage</u> of a given quantity	
6. Express one quantity as a <u>Fraction</u> or <u>Percentage</u> of another	
7. Compare two quantities using <u>Ratios</u>	
8. Divide a quantity in a given <u>Ratio</u>	
9. Solve problems involving:	
(a) Fractions	
(b) Decimals	
(c) Percentages	
(d) Ratio, Rates & Proportions	
(e) Arithmetic Mean (or Average)	
(f) Squares & Square Roots [No Tables/Calculators]	

#### 3. ALGEBRA (I)

<b>1.</b> Use symbols to represent	
(i) Numbers	
(ii) Operations	
(iii) Variables	
(IV) Relations	
2. Translate between Algebraic Symbols & worded expressions.	
3. Perform operations involving <u>Directed Numbers</u> (integers)	
(a) Addition	
(b) Subtraction	
(c) Multiplication	
(d) Division	
4. Perform the Four Basic Operations with Algebraic Expressions	
5. Substitute numbers for Algebraic Symbols in Simple Algebraic Expressions	
<ol> <li>Solve Linear Equations in One Unknown [e.g. Including transposition &amp; collection of numbers &amp; variables; Fractional Form]</li> </ol>	

## SCHEME OF WORK – FORM I TERM II

### 4. CONSUMER ARITHMETIC (I)

I. Calculate	
(i) Discount	
(ii) Sales Tax	
(iii) Profit or Loss	
2. Express	
<ul><li>2. Express</li><li>(i) A Profit</li></ul>	
<ul> <li>2. Express</li> <li>(i) A Profit</li> <li>(ii) Loss</li> </ul>	
2. Express (i) A Profit (ii) Loss (iii) Discount	
2. Express (i) A Profit (ii) Loss (iii) Discount (iv) Markup	

**3.** Solve problems involving

(i)	Marked Price (or Selling Price),	
(ii)	Cost Price	
(iii)	Percentage Profit	
(iv)	Percentage Loss or	
(v)	Discount	

4. Solve simple problems involving payments by <u>Installments</u> as in the case of

- (i) Hire Purchase
- (ii) Mortgages

### 5. SETS (I)

1. (i) Describe a Set
(ii) Give Examples & Non-examples of Sets
(iii) Identify the Empty Set
(iv) Identify the Cardinal number (No. of elements) of a Set
(v) Distinguish between Finite & Infinite Sets
2. (i) list the members of a set from a given description
(ii) Use Set Builder Notation to describe a set
<ul> <li>3. Identify &amp; distinguish between sets which are Equivalent and sets which are Equal, <i>disjoint sets</i></li> <li>4. (i) Identify &amp; Construct Subsets of a given set</li> </ul>
(ii) Calculate the number of subsets of a set of <i>n</i> elements
5. (i) Determine the Complement of a given set, given the Universal set
(ii) Determine & Count the elements in the Intersection & Union <u>of not more</u> than three sets

### 6. MEASUREMENT (I)

<b>1.</b> F	Polygons & Circles	
C	Calculate the Perimeter of	
(1	i) A Polygon	
(1 (1	iii) A Circle & iii) A combination of Polygon & Circle	
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2. Calculate the area of the region enclosed by	
(i) a square.	
(ii) a rectangle,	
(iii) a triangle,	
(iv) a parallelogram,	
(v) a trapezium,	
(vi) a rhombus,	
(vii) a circle &	
(viii) any combination of these	
<b>3.</b> Estimate the area of irregularly-shaped plane figures	
4. Convert units of	
(i) Length	
(ii) Area	
(iii) Capacity	
(iv) Time (including the 24-hour clock) &	
(v) Speed	
within the SI system.	
5. Use the appropriate SI unit of measure for	
(i) Area	
(ii) Mass	
(iii) Temperature (Degrees & Fahrenheit)	
(iv) Other derived quantities	
<b>6.</b> Solve simple problems involving Time (for example, Timetable Extracts such as Bus & Airline schedules)	
7. (i) Estimate the margin of error for a given measurement, <i>sources of error</i>	
<ul> <li>(ii) Give to a degree of accuracy (appropriate to the margin of error for a given measurement), the results of calculations involving numbers derived from a set of measurements</li> </ul>	
8. Solve problems involving Measurements	

### **SCHEME OF WORK – FORM I TERM III**

#### 7. GEOMETRY (I)

(i) Point	
(ii) Line	
(iii) Parallel lines & Perpendicular lines (iv) Line segment	
(v) Ray	
(vi) Curve	
(vii) Plane angles, types of (acute, reflex, right, straight)	
(viii) Faces	
(ix) Edges	
(X) Vertices	
2. Use Instruments (Ruler & Protractor) to Draw & Measure	
(i) Angles	
(ii) Line segments	
<b>3.</b> Solve problems using the properties of	
(i) Lines (parallel, transversals)	
(ii) Angles	
Vertically opposite	
Alternate	
Adjacent	
Corresponding	
Co-interior	
Angles at a point Complementary	
Supplementary	
8. STATISTICS (I)	
1. Construct a Frequency Table for a given set of Data (Ungrouped & Grouped)	
2. Draw (using compass & protractor as appropriate) & Use [Using G	raph Paper]
(i) Line graph	
(ii) Pie charts	
(111) Bar charts (Vertical & Horizontal) (iv) Pictograms	
(iv) i iciogramo	
3. Interpret data presented in any Tabular, Graphical or Pictorial form	

# **REVISION EXERCISES, TESTS & PAST PAPERS**

#### SCHEME OF WORK – FORM 2 TERM I CALCULATORS ARE ALLOWED IN SECOND FORM

### 1. NUMBER THEORY (II)

7. Generate a term of a Sequence given a rule	
8. Derive an appropriate rule given the terms of a sequence	
9. Use properties of Numbers & Operations in computational tasks:	
Additive & Multiplicative identities & inverses	
Properties of operations such as	
Commutativity Distributivity Associativity	
Order of operations in problems with mixed operations (BODMAS).	
10. Solve problems involving concepts in number theory (including Reciprocals & powers of numbers)	
Compute powers of real numbers of the form $x^a$ , $a \in Q$ ; including squares, square roots, cubes & cube roots.	
. ALGEBRA (II)	
7. Apply the Distributive Law to insert (factorize) or remove brackets in algebraic expressions, for e.g., $ax \pm bx \equiv (a \pm b)x$	;
8. Simplify algebraic fractions	
9. Formulae (change of subject)	
<b>10.</b> Use linear equation to solve	
(i) given algebraic equations (ii) word problems	
<b>11.</b> Solve a <i>simple</i> linear inequality in one unknown & represent the solution using	
<ul> <li>(a) set notation</li> <li>(b) the number line (line graphs)</li> <li>(c) Cartesian graphs</li> </ul>	

### <u>3. SETS (II)</u>

<b>6.</b> Construct & use Venn diagrams to show (	not more than 3 sets)
<ul><li>(i) subsets</li><li>(ii) complements</li><li>(iii) the Intersection &amp; Union of sets</li></ul>	
7. Determine the number of elements in nam sets, given the number of elements in som	ed subsets of two intersecting
8. Solve problems involving the use of Venn with <u>not more than three sets.</u>	diagrams ( <b>involving</b> <i>x</i> )
4. CONSUMER ARITHMETIC (II)	
5. Solve problems involving Simple Interest	t to find:
Principal Time Rate Amount	
6. Solve problems involving measures & me	oney p174
<ul> <li>(a) Utility bills</li> <li>(b) Invoices &amp; Shopping bills</li> <li>(c) Insurances</li> <li>(d) Salaries &amp; Wages, Overtime, Commission</li> </ul>	ssion

#### **SCHEME OF WORK – FORM 2 TERM II**

#### 5. COMPUTATION (II)

<b>10.</b> Convert from one set of units to another, given a conversion scale for e.g., converting within the metric scale (Volume);	
11. (i) Write any Rational Number in Standard Form (scientific notation)	
(ii) Add, Subtract, Multiply & Divide Large & Small Numbers written in Standard Form	
<u>6. STATISTICS (II)</u>	
<b>4.</b> Represent Numerical & Statistical Data by a Line graph on the Rectangular Cartesian plane	

### 7. RELATIONS, FUNCTIONS & GRAPHS (I)

1. Draw & Interpret

Distance-Time graphs (straight line only, using Graph Paper) to determine

(i) Distance	
(ii) Time	
(iii) Speed	
3. GEOMETRY (II)	
4. Use instruments (not necessarily restricted to ruler & compasses) to constr	uct
(a) Triangles: equilateral, isosceles, scalene, obtuse, right, acute	
(b) Parallel lines (using ruler & set square)	
(c) Perpendicular lines (using ruler & set square)	
5. Use the properties of Perpendicular & Parallel lines to	
(i) Draw accurate Geometrical Figures	
(ii) Solve problems.	
(iii) <i>Lines of</i> Symmetry	
6. Use instruments (not necessarily restricted to Ruler & Compasses) to	
(a) Construct a line segment	
(b) Bisect a line	
(c) Bisect an angle	
(d) Construct Angles and their combinations	
(i) $30^0, 45^0, 60^0$	
(ii) $90^{\circ}$ (from a point on the line segment; to a line segment	
from a point)	
(111) 120°	
(e) Triangles: equilateral, isosceles, scalene, obtuse, right, acute	
(f) Quadrilaterals	
(b) Circles	
7. Solve problems using:	
(a) the properties of	
(i) Polygons (including interior & exterior angles where appropriate)	
Triangles: equilateral, right, isosceles	
Square	
Rectangle	
Khombus	
Parallelogram	

Trapezium Other polygons	
(b) the properties of circles (not including circle theorems)	
(c) the properties of congruent triangles	
(d) the properties of similar figures (for e.g. similar triangles)	
Use Pythagoras' Theorem to solve problems	

### **SCHEME OF WORK – FORM 2 TERM III**

# 9. MEASUREMENT (II)

8.

Cube	
Cuboid	
Prism	
Pyramid	
Volume & Surface Area of Solids: Cube	
Cube	
Prism	
Pyramid	
	Cuboid Prism Pyramid Volume & Surface Area of Solids: Cube Cuboid Prism Pyramid

# **REVISION EXERCISES, TESTS & PAST PAPERS**

### **SCHEME OF WORK – FORM 3 TERM I**

#### 1. ALGEBRA (III)

<ul><li>12. Use symbols to represent Binary Operations (other than the four basic ones) &amp; perform simple computations with them.</li></ul>	
<b>13.</b> Use the Laws of Indices to manipulate expressions with <u>integral indices</u> ( <i>include fractional / rational indices</i> )	
14. Formulae (change of subject, <i>include roots &amp; powers</i> ).	
15. Use Linear Inequalities to solve word problems	
16. Solve Simultaneous Linear Equations in two unknowns algebraically	
17. Use simultaneous linear equations to solve word problems	
18. Represent Direct & Inverse Variations symbolically	
<b>19.</b> Solve problems involving direct variation & inverse variation	

#### 2. CONSUMER ARITHMETIC (III)

7. Calculate (for not more than 3 years)	
Compound Interest Appreciation Depreciation Amount	
8. Solve problems involving measures & money (including exchange rate)	
9. Solve problems involving	
<ul><li>(a) Rates &amp; Taxes (including Income Tax)</li><li>(b) Investments</li></ul>	

### 3. MEASUREMENT (III)

<b>11.</b> Calculate the length of an arc of a circle	
<b>12.</b> Calculate the area of a sector of a circle	
Use Hero's formula for the area of a triangle	
13. Solve problems using: the properties of faces, edges & vertices of solids,	
<ul><li>(i) Cylinder</li><li>(ii) Sphere</li><li>(iii) Cone</li></ul>	
14. Calculate the area of a segment of a circle	
<b>15.</b> Calculate the surface area of solids	
<ul><li>(a) Cylinder</li><li>(b) Sphere</li><li>(c) Cone</li></ul>	
<b>16.</b> Calculate the volume of solids	
<ul><li>(a) Cylinder</li><li>(b) Sphere</li></ul>	
(c) Cone	

### SCHEME OF WORK – FORM 3 TERM II

### 4. STATISTICS (III)

5. Differentiate between sample & population attributes – sample statistics & population parameters	
6. Measurement scales – Nominal, Ordinal, Interval & Ratio	
7. Differentiate between types of data:	
Discrete & Continuous variables Ungrouped & Grouped data	
8. Construct a Frequency Table for a given set of data:	
Ungrouped Grouped data	

9. Determine class features for a given set of data:

Max / Min	
Range	
Extreme values & their effect	
Class interval	
Class boundaries	
Class midpoint	
Class width	
10. Represent numerical & statistical data by	
Histogram Erectuare au nelvicen	
Frequency porygon	
<ol> <li>Interpret data presented in any of the graphical or pictorial forms named in objective 10 above</li> </ol>	
12. Determine measures of central tendency (mean, median & mode) for	
Raw	
Ungrouped	
Grouped data (no median)	
13. Determine when it is most appropriate to use as the average for a set of data	
Mean	
Median	
Mode	
14. Determine the measures of dispersion /spread (e.g. Range, Interquartile & Semi-interquartile range), for	
(i) Raw	
(ii) Ungrouped data.	
15. Analyze statistical data & diagrams, commenting on the	
averages	
the Dispersion (Spread)	
the Shape of the Frequency Distribution	
effect of extreme values	
16. Use standard deviation to compare sets of data. No calculation of the standard deviation is required.	
<b>17.</b> Determine the Proportion or Percentage of the sample above or below a given value from Raw data or Table	
<b>18</b> . Identify the Sample Space for a simple experiment, <i>including the use of contingency tables</i>	
19. Determine Experimental & Theoretical probabilities of simple events	

**20.** Apply statistical methods to analyze data & make appropriate inference(s) from:

Raw data	
Tables	
Diagrams	

#### 5. RELATIONS, FUNCTIONS & GRAPHS (II)

**2.** Explain concepts associated with relations:

Types <i>of relations</i> Examples & Non-examples Domain Range Image Co-domain	
<b>3.</b> Represent a relation in various ways:	
Set of Ordered Pairs Arrow diagrams Graphically Algebraically	
<b>4.</b> State the characteristics that define a Function:	
Many-to-one or One-to-one relation Examples & Non-examples	
<b>5.</b> Use the functional notations, for example, $f:x \to x^2$ ; or $f(x) = x^2$ ; as well as $y = f(x)$ for given domains	
6. Distinguish between a Relation & a Function:	
Ordered pairs Arrow diagrams Graphically (vertical Line Test)	
7. Draw & Interpret graphs of Linear Functions:	
y = c; x = k; y = mx + c. where m, c & k are real numbers.	
8. Determine the Intercepts of the graph of linear functions:	
x- & y- intercepts; Graphically Algebraically	
<b>9.</b> Determine the Gradient of a straight line: slope - the ratio of the vertical rise to the horizontal shift	

**10.** Determine the Equation of a line *using*:

(a) the graph of the line	
(b) the co-ordinates of two points on the line	
(c) the gradient & one point on the line	
(d) the gradient of the line & its relationship to another line.	
11. Solve problems involving the Gradient of Parallel & Perpendicular lines	
<b>12.</b> Determine from the co-ordinates on a line segment:	
<ul><li>(a) the length</li><li>(b) the co-ordinates of the mid-point</li></ul>	
<b>13.</b> Solve graphically a system of two linear equations in two variables	

### **SCHEME OF WORK – FORM 3 TERM III**

### 6. GEOMETRY & TRIGONOMETRY (I)

**1.** Determine the

<ul><li>(i) Sine</li><li>(ii) Cosine</li><li>(iii) Tangent ratios of acute angles in a right-angled triangle</li></ul>	
2. Use the	
<ul><li>(i) Sine</li><li>(ii) Cosine</li><li>(iii) Tangent ratios in the solution of right-angled triangles</li></ul>	
<b>3.</b> Use simple trigonometrical ratios to solve problems based on measures in the physical world	
<ul><li>(a) Heights &amp; Distances</li><li>(b) Angles of Elevation &amp; Depression</li></ul>	
<b>4.</b> Represent the relative position of two points given the Bearing of one point with respect to the other (include Cardinal points)	
<b>5.</b> Determine the Bearing of one point relative to another point given the position of the points	
6. Solve problems involving Bearings	

### **REVISION EXERCISES, TESTS & PAST PAPERS**

### **SCHEME OF WORK – FORM 4 TERM I**

#### 1. SETS (III)

	9. Apply the result $n(AUB) = n(A) + n(B) - n(A \cap B)$ in the solution of simple numerical problems
	Determine & count the elements in the intersection of not more than two sets
	Determine & count the elements in the union of not more than two sets
	10. Solve numerical problems arising from the intersection of not more than three sets
	11. Solve problems involving the use of Venn diagrams with not more than three sets
2. ALGEBRA	<u>(IV)</u>
	20. Change the subject of Formulae including those involving roots & powers
	<b>21.</b> Factorize expressions of the forms;
	(a) $a^2 - b^2$ (b) $a^2 \pm 2ab + b^2$ (c) $ax + bx + ay + by$ (d) $ax^2 + bx + c$ including $x^2 + yx + px + yp$
	where a, b, c are integers & $a \neq 0$ .
	22. Recognize the difference between those algebraic statements that represent Equations & those that represent Identities
	23. Prove two algebraic expressions to be identical
	Complete the square on Quadratic expressions
	<b>24.</b> Solve quadratic equations by:
	<ul> <li>(a) Factorization</li> <li>(b) Using the Quadratic Formula</li> <li>(c) Completing the square</li> </ul>
	25. Solve problems involving quadratic equations e.g. word problems
	<b>26.</b> Solve a pair of equations in two variables when one equation is Quadratic or Non-linear & the other Linear

# 3. RELATIONS, FUNCTIONS & GRAPHS (III)

**14.** Draw & *use* the graph of a Quadratic Function to *identify its features*:

(a) roots of the equation	
(b) an element of the Domain that has a given image	
(c) the image of a given element in the domain	
(d) the Maximum or Minimum value of the function (e) the equation of the Axis of Symmetry $(x = -\frac{b}{2a})$	
<b>15.</b> Interpret the graph of a quadratic function to determine:	
(a) the interval of the domain for which the elements of the range may be greater than or less than a given point	
(b) an estimate of the value of the gradient at a given point	
(c) Intercepts of the function	
<b>16.</b> Determine the	
<ul> <li>(i) Equation of the Axis of symmetry</li> <li>(ii) Maximum or Minimum value of a quadratic function expressed in the form a(x + h)<sup>2</sup> + k;</li> </ul>	
17. Sketch the graph of a quadratic function expressed in the form $a(x + h)^2 + k$ & determine the number of roots	
<b>18.</b> (a) Derive Composite Functions: (p801 - 814) (i) $fg$ (ii) $f^2$ given $f$ and $g$	
(b) Non-commutativity of composite functions ( $fg \neq gf$ )	
<b>19.</b> State the relationship between a function & its inverse ( <i>the composition of inverse functions</i> $f(x)$ <i>and</i> $f^{-1}(x)$ <i>is commutative and results in</i> $x$ )	
<b>20.</b> Derive the inverse of a function: $f^{-1}$ , $(fg)^{-1}$	
<b>21.</b> Evaluate (i) $f(a)$ (ii) $f^{-1}(a)$ (iii) $fg(a)$ (iv) $(fg)^{-1}(a)$ where $a \in R$	
<b>22.</b> Use the relationship $(fg)^{-1} = g^{-1}f^{-1}$	

### **SCHEME OF WORK – FORM 4 TERM II**

### 4. GEOMETRY & TRIGONOMETRY (II)

7. Identify simple plane figures possessing
<ul> <li>(a) Translational</li> <li>(b) Bilateral</li> <li>(c) Rotational symmetry, order of rotational symmetry</li> </ul>
<ul> <li>8. Define Translations in a plane as Vectors, written as Column Matrices, &amp; recognize them when specified</li> </ul>
<b>9.</b> State the relationships between an object and its image in a plane when it undergoes a translation in that plane: <i>vector notation; orientation, similarity, congruency</i>
<b>10.</b> (a) State the relationships between an object & its image in a plane when reflected in a line in that plane: <i>mirror line / axis of symmetry; orientation, similarity, congruency</i>
(b) State the relationship between an object & its image in a plane when it is rotated about a point (the centre of rotation, <i>angle of rotation</i> , <i>direction of rotation</i> ) in that plane: <i>orientation, similarity, congruency</i>
(c) State the relationships between an object & its image in a plane under a given enlargement / reduction in that plane: <i>centre</i> ; <i>scale factor k such</i> <i>that</i> $ k  > 1$ or $0 <  k  < 1$ ; <i>orientation, similarity, congruency</i>
<ul><li><b>11. a)</b> Locate the image of a set of points under a combination of transformations, any <u>TWO</u> of:</li></ul>
Enlargement/ReductionTranslationRotationReflection
<ul> <li>b) State the relations between an object &amp; its image as the result of a combination of two transformations</li> </ul>
<b>12.</b> Use the
<ul> <li>(a) Sine rule in the solution of problems involving triangles</li> <li>(b) Cosine rule in the solution of problems involving triangles</li> <li>(c) Do examination type questions including Bearings</li> </ul>

#### 5. MEASUREMENT (IV)

**17.** Calculate the area of a triangle given two sides & the included angle by

means of the formula: Area of  $\triangle$  **ABC** =  $\frac{1}{2}$  ab sin C

18. Calculate the area of a segment of a circle (no radians)

#### 6. VECTORS & MATRICES

**1.** Explain concepts associated with vectors: *scalar multiples, parallel, equal, inverse* 

2. Combine vectors written as 2x1 column matrices (TIP-TO-TAIL concept):

(i)	Triangle law	

- (ii) Parallelogram law
- 3. Vector algebra: addition, subtraction, scalar multiplication

Note 
$$\begin{pmatrix} a \\ b \end{pmatrix} + \begin{pmatrix} c \\ d \end{pmatrix} = \begin{pmatrix} a+c \\ b+d \end{pmatrix}$$

4. Associate a Position vector

$$\vec{OP} = \begin{pmatrix} a \\ b \end{pmatrix}$$
 with a given point P (a, b) where O is the origin (0, 0)

5. Determine the Magnitude of a vector: including unit vectors

6. Determine the direction of a vector

7. Use vectors to represent & solve problems in geometry:

(i) Collinearity (common point)
(ii) Midpoint
(iii) Parallel
(iv) Displacement
(v) Velocity
(vi) Weight

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### **SCHEME OF WORK – FORM 4 TERM III**

### 6. VECTORS & MATRICES CONT'D

8. Exp	olain	concepts	associated	with	matrices:
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(i) Row	
(ii) Column	
(iii) Order	
(iv) Types of matrices: square, rectangular, identity	
(v) Practical use (to represent information)	
9. Perform with matrices	
(i) Addition	
(ii) Subtraction	
(iii) Multiplication by a scalar	
(iv) Multiplication: Non-commutativity of matrix multiplication	
<b>10.</b> Evaluate the Determinant of a 2x2 matrix	
<b>11.</b> solve problems involving a 2x2 singular matrix	
<b>12.</b> Obtain the inverse of a non-singular 2x2 matrix: Determinant & Adjoint of a matrix	
<b>13.</b> Use matrices to solve simple problems in	
<ul><li>(a) Arithmetic</li><li>(b) Algebra &amp; Geometry: Linear simultaneous equations</li></ul>	
(Matrices of order greater than <b>3x3</b> will not be set)	
<b>14.</b> Determine a 2x2 matrix associated with specified transformations:	
(1) (0)	
[Use of $\begin{pmatrix} 1 \\ 0 \end{pmatrix}$ , $\begin{pmatrix} 0 \\ 1 \end{pmatrix}$ to find the matrix for a transformation]	
(a) Enlargements / Reduction with centre at origin	
(b) Rotations: clockwise, anticlockwise, general rotation matrix	
(c) Reflections: x-axis, y-axis, $y = x$ , $y = -x$	
15. Determine a 2x2 matrix representation of the single transformation	
which is equivalent to the composition of two linear transformations in	
a plane (where the origin remains fixed)	

### **REVISION EXERCISES, TESTS & PAST PAPERS**

### **SCHEME OF WORK – FORM 5 TERM I**

### 1. STATISTICS (IV)

21. Determine the measures of Dispersion / Spread (Range, Interquartile &	
Semi-interquartile range) for grouped data	
<b>22.</b> Construct a Cumulative Frequency Table for ungrouped & grouped data	
16. Use standard deviation to compare sets of data. No calculation of the standard deviation is required.	
23. Draw & use cumulative frequency curve (Ogive):	
<ul> <li>(i) Appropriate scales for axes</li> <li>(ii) Class boundaries as domain</li> </ul>	
24. Analyze statistical data & diagrams, commenting on the	
<ul> <li>(i) Averages</li> <li>(ii) Dispersion (spread)</li> <li>(iii) Shape of the frequency distribution</li> </ul>	
<b>25.</b> Determine the Proportion or Percentage of the sample above or below a given value from	
<ul> <li>(i) Raw data</li> <li>(ii) <i>Frequency</i> Table or</li> <li>(iii) Cumulative Frequency curve.</li> </ul>	
<b>26.</b> Identify the Sample Space for a simple experiment <i>including use of contingency tables</i>	
27. Determine Experimental & Theoretical probabilities of events <i>including use of contingency tables</i>	
2. RELATIONS, FUNCTIONS & GRAPHS (IV)	
<b>23.</b> Draw a graph to represent a Linear Inequality in two variables.	
<b>24.</b> Use Linear Programming techniques to <i>graphically</i> solve problems involving two variables	
25. Draw & use the graphs of the functions of other non-linear functions:	

 $y = ax^{n}$  where n = -1, -2 & +3,

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**26.** Draw & Interpret (straight line only);

(1) distance	
(11) time	
(iii) speed	
( <b>B</b> ) Speed-Time graphs to determine:	
(i) distance	
(ii) time	
(iii) speed	

#### 3. GEOMETRY & TRIGONOMETRY (III)

**15.** Solve practical problems involving Heights & Distances in three-dimensional situations

#### SCHEME OF WORK – FORM 5 TERM II

#### 3. GEOMETRY & TRIGONOMETRY (III) CONT'D

16. Solve problems using the following theorems related to the properties of a circle

(i) the angle which an arc of a circle subtends at the centre of a circle is twice the angle it subtends at any point on the remaining part of the circumference	
(ii) the angle in a semicircle is a right angle	
(iii) angles in the same segment of a circle & subtended by the same arc are equal	
(iv) the opposite angles of a cyclic quadrilateral are supplementary	
(v) the exterior angle of a cyclic quadrilateral is equal to the interior opposite angle	
(vi) a tangent of a circle is perpendicular to the radius of that circle at the point of contact	
(vii) the lengths of two tangents from an external point to the points of contact on the circle are equal	
(viii) the angle between a tangent to a circle & a chord through the point of contact is equal to the angle in the alternate segment	
(ix) the line joining the centre of a circle to the midpoint of a chord is perpendicular to the chord	

# REVISION

### □ FORMAT OF CSEC GENERAL PROFICIENCY EXAMINATION

The examination will consist of two papers: Paper 01, an objective type paper and Paper 02, an essay or problem-solving type paper.

**Paper 01** (1 hour 30 minutes). The Paper will consist of 60 multiple-choice items, from all Sections of the syllabus as outlined below. Each item will be allocated one mark.

Sections	No. of items
Number Theory and Computation	6
Consumer Arithmetic	8
Sets	6
Measurement	8
Statistics	6
Algebra	6
Relations, Functions and Graphs	8
Geometry and Trigonometry	8
Vectors and Matrices	4
Total	60

Paper 02 (2 hours and 40 minutes)

The Paper consists of ten compulsory structured type questions. The marks allocated to the topics are:

Sections	No. of marks
Number Theory, Consumer Arithmetic and Computation	9
Measurement	9
Statistics	9
Algebra	10
Relations, Functions and Graphs	20
*Investigation	10
Geometry and Trigonometry	21
Vectors and Matrices	12
Total	100

\*The investigation question may be set on any combination of objectives in the syllabus.

#### SCHOOL BASED ASSESSMENT: Paper 031 and Paper 032 (Examination Year 2018)

#### Paper 031 (20 per cent of Total Assessment)

#### Paper 031 comprises a project.

The project requires candidates to demonstrate the practical application of Mathematics in everyday life. In essence it should allow candidates to probe, describe and explain a mathematical area of interest and communicate the findings using mathematical symbols, language and tools. The topic(s) chosen may be from any section or combination of different sections of the syllabus.

See Guidelines for School Based Assessment on pages 43 - 47.

#### Paper 032 (Alternative to Paper 031) (1 hour)

This paper is an alternative to Paper 031 and is intended for private candidates. This paper comprises two compulsory questions. The given topic(s) may be from any section or combination of different sections of the syllabus.

#### □ CERTIFICATION AND PROFILE DIMENSIONS

The subject will be examined for certification at the General Proficiency. In each paper, items and questions will be classified, according to the kind of cognitive demand made, as follows:

**Knowledge** require the recall of rules, procedures, definitions and facts, that is, items characterized by rote memory as well as simple computations and constructions.

**Comprehension** requires algorithmic thinking that involves translation from one mathematical mode to another. Use of algorithms and the application of these algorithms to familiar problem situations.

#### Reasoning requires:

- (i) translation of non-routine problems into mathematical symbols and then choosing suitable algorithms to solve the problems;
- (ii) combination of two or more algorithms to solve problems;
- (iii) use of an algorithm or part of an algorithm, in a reverse order, to solve a problem;
- (iv) inferences and generalisations from given data;
- (v) justification of results or statement; and,
- (vi) analysis and synthesis.

Candidates' performance will be reported under Knowledge, Comprehension and Reasoning.

#### WEIGHTING OF PAPER AND PROFILES

The percentage weighting of the examination components and profiles is as follows:

PROFILES	PAPER 01	PAPER 02	PAPER 03	TOTAL (%)
Knowledge (K)	18	30	6 (12)	60 (30%)
Comprehension (C)	24	40	8 (16)	80 (40%)
Reasoning ( <b>R</b> )	18	30	6 (12)	60 (30%)
TOTAL	60	100	20 (40)	200
%	30%	50%	20%	100%

#### **REGULATIONS FOR RESIT CANDIDATES**

Resit candidates must complete Papers 01 and 02 and Paper 03 of the examination for the year for which they re-register.

Resit candidates may opt to complete the School-Based Assessment (SBA) or may opt to re-use their previous SBA score which satisfies the condition below.

A candidate who rewrites the examination within two years may reuse the moderated SBA score earned in the previous sitting within the preceding two years. Candidates

reusing SBA scores in this way must register as "Resit candidates" and provide their previous candidate number.

All resit candidates may register through schools, recognised educational institutions, or the Local Registrar's Office.

#### □ REGULATIONS FOR PRIVATE CANDIDATES

Private candidates must be registered for the examination through the Local Registrar in their respective territories and will be required to sit Papers 01, 02 and 032, Paper 032 is designed for candidates whose work cannot be monitored by tutors in recognised educational institutions. The Paper will be of 1-hour duration and will consist of two questions.

#### □ GUIDELINES FOR THE SCHOOL-BASED ASSESSMENT

#### RATIONALE

School-Based Assessment (SBA) is an integral part of student assessment in the course covered by this syllabus. It is intended to assist students in acquiring certain knowledge, skills and attitudes that are critical to the subject. The activities for the School-Based Assessment are linked to the "Suggested Practical Activities" and should form part of the learning activities to enable the student to achieve the objectives of the syllabus. During the course of study of the subject, students obtain marks for the competencies they develop and demonstrate in undertaking their SBA assignments. These marks contribute to the final marks and grades that are awarded to students for their performance in the examination.

The guidelines provided in this syllabus for selecting appropriate tasks are intended to assist teachers and students in selecting assignments that are valid for the purpose of the SBA. These guidelines are also intended to assist teachers in awarding marks according to the degree of achievement in the SBA component of the course. In order to ensure that

the scores awarded by teachers are not out of line with the CXC standards, the Council undertakes the moderation of a sample of SBA assignments marked by each teacher. School-Based Assessment provides an opportunity to individualise a part of the curriculum to meet the needs of students. It facilitates feedback to the students at various stages of the experience. This helps to build the self-confidence of the students as they proceed with their studies. School-Based Assessment further facilitates the development of critical skills and that allows the students to function more effectively in their chosen vocation. School-Based Assessment' therefore, makes a significant and unique contribution to the development of relevant skills by the students. It also provides an instrument for testing them and rewarding them for their achievements.

The Caribbean Examinations Council seeks to ensure that the School Based Assessment scores are valid and reliable estimates of accomplishment. The guidelines provided in this syllabus are intended to assist in doing so.

#### THE PROJECT

The project may require candidates to collect data or demonstrate the application of Mathematics in everyday situations. The activities related to the Project should be integrated into the classroom instruction so as to enable the candidates to learn and practice the skills needed to complete the project. Some time in class should be allocated for general discussion of project work; allowing for discussion between teacher and student, and student and student.

#### **Role of the Teacher**

The role of the teacher is to:

- 1. Guide students in identifying suitable topics for the project for the SBA.
- **2.** Provide guidance throughout the project and guide the candidate through the **SBA** by helping to resolve any issues that may arise.

- **3.** Ensure that the project is developed as a continuous exercise that occurs during scheduled class hours as well as outside class times.
- **4.** Assess the project and record the marks. Hardcopies of the completed documents should be kept by both the teacher and the student. The teacher should use the mark scheme provided by CXC and include comments pertinent to the conduct of the assessment.

#### Assignment

The School Based Assessment consists of **ONE** project to be marked by the teacher in accordance with CXC guidelines.

#### ASSESSMENT CRITERIA

The project will be presented in the form of a report and will have the following parts.

- **1.** Project Title
- **2.** Introduction
- 3. Method of Data Collection
- 4. Presentation of Data
- **5.** Analysis of Data
- **6.** Discussion of Findings
- 7. Conclusion

It will be marked out of a total of **20 marks** and the marks will be allocated to each task and profile as outlined below.

Project Descriptors	Mark			
<b>`</b>	K	С	R	Total
Project Title				1
$\Box$ Title is clear and concise and relates to a real-world problem	1			
Introduction				4
□ Objectives are clearly stated	1			
□ Comprehensive description of the project		2		
□ Limited description of the project		(1)		
□ Detailed contents page with page numbers	1			
Method of Data Collection				2
$\Box$ Data collection method is clearly described, appropriate and				
without flaws		2		
□ Data collection method is stated		(1)		
Presentation of Data				5
□ Data is accurate and well organised		2		
□ Data is presented but is not well organised		(1)		
□ Tables/graphs included, correctly labelled and used appropriately		2		
□ Tables/graphs included		(1)		
□ Accurate use of mathematical concepts	1			
Analysis of Data				2
Detailed analysis done which is coherent			2	
□ Limited analysis of findings			(1)	
Discussion of findings				2
□ Statement of findings clearly stated			1	
□ Statement of findings follows from data collected			1	
Conclusion				2
□ Conclusion was based on findings and related to the purpose of				
the project			2	
□ Conclusion related to the purpose of the project			(1)	
Overall Presentation				2
□ Information was communicated logically using correct grammar	2			-
☐ Information was poorly organised or difficult to understand				
at times	(1)			
Maximum for each profile	6	8	6	20
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